

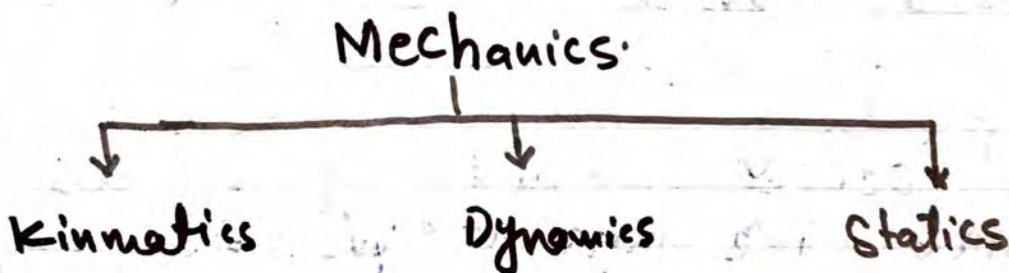
CHAPTER ①

Survey of Elementary Physics.

* Classical mechanics:-

Historically mechanics was the earliest branch of physics to be developed, so at present it is known as classical mechanics. The whole structure of physics is based upon it.

* mechanics:- The study of forces and its effect on objects is known as mechanics. Mechanics can be divided into three disciplines: as follows.



* Kinematics:- In it we describe the motion of material body in terms of quantities, such as displacement, velocity, without considering the cause of motion. In fact it is the geometrical description of the motion of the body. The possible motion may be translational, rotational and ~~rotational~~.

* Dynamics:- In dynamics we study the laws and the equation of

of motion containing force which governs different type of motion.

4 statics :- Statics is a Branch of mechanics dealing with forces on an object or in a system which is in equilibrium. If the forces on an object are in a system cause no change of momentum. The object or the system is in equilibrium. Statics is the study of such cases.

The study of mechanics may be sub divided according to kind of system to be study. The simplest physical system is a single particle. we will first consider a single particle e.g. the rigid body may be treated as a special kind of system of particles. The most useful tool of classical mechanics is Newton's law of motion. Most of the problems of mechanics are solved by these laws, however there are problems which can not be tackled by Newton's laws.

These problems are solved by other formulation of mechanics, such as Lagrangian equations and Hamiltonian equations. we shall study these formulations of classical mechanics later on.

4 Mechanics of a Particle:-

vector of a particle let \vec{r} be the position
 origin. If v is its velocity, then

$$\vec{v} = \frac{d\vec{r}}{dt}$$

and

$$\vec{a} = \frac{d\vec{v}}{dt} = \frac{d^2\vec{r}}{dt^2}$$

4 Linear Momentum:-

Linear momentum of a particle is defined as the product of its mass & velocity. It is denoted by \vec{p}

$$\vec{p} = m\vec{v}$$

4 Newton 2nd law of motion:-

As we know that

$$F = \frac{dp}{dt} \quad \text{But } p = mv$$

$$= \frac{d(mv)}{dt} = m \frac{dv}{dt}$$

But $\frac{dv}{dt} = a$

$$F = ma$$

$$\text{as } \vec{a} = \frac{d^2\vec{r}}{dt^2}$$

$$\text{or } F = m \frac{d^2\vec{r}}{dt^2}$$

For example In a force field a particle of mass 5 units is along a space curve whose position vector is given as function of time as follows:

H.W $\vec{r} = (4t^3 + t)\mathbf{i} + (2t^4 - t^2 + 8)\mathbf{j} + 2t^2\mathbf{k}$

we know that $v = \frac{dx}{dt} = (8t+1)i + (12t^2-2t)j + 4tk$

and
(b) $a = \frac{dv}{dt} = 8i + (36t-2)j + 4k$

AS $F = ma$

(c) $F = m(8i + (36t-2)j + 4k)$

and also know that

$$F = \frac{dp}{dt}$$

$$\int dp = \int F dt$$

$$p = m \left((8i)at + (36t-2)j \cdot t - 24 \frac{t^2}{2} k \right)$$
$$= m \left(8ti + \left(\frac{36t^2}{2} - 2t \right) j - 24tk \right)$$

④ $p = m(8ti + (18t^2 - 2t)j - 24tk)$

4. Inertial frame of Reference:-

A reference frame in which the equation $\vec{F} = \frac{dp}{dt} = m \frac{dv}{dt}$ (2nd law of motion) is valid is called inertial or Galileian frame of reference. For all particles purpose the reference frame fixed on earth is a close approximation to an inertial system. If the system is fixed on earth then

along increasing value of r, ϕ & z .
 Direction of \vec{a}_r, \vec{a}_ϕ & \vec{a}_z remain constant. These three vectors are mutually \perp .

Q Differential Volume:- differential increase in r, ϕ & z will respectively be $dr, d\phi$ & dz .

Note: Increase along r is dr and increase in z is dz and due to increase of $d\phi$ increase of r will be $r d\phi$. In this case projection is always equal to r . So differential increase in volume element will be $r dr d\phi dz$.

Q Relation of Cartesian & Cylindrical:-

$$\begin{aligned} x &= r \cos \phi \\ y &= r \sin \phi \\ z &= z \end{aligned}$$

Q Torque:- if a Body is fixed at Pt O, about which it can rotate. A force F applied on the Body will rotate it about O. The rotational tendency of ^{the} Body due to the Force F is termed effect of force F is called moment of the force about Pt. O. The moment of force is also known as Torque (\vec{N}) mathematically

$$\vec{N} = \vec{r} \times \vec{F}$$